



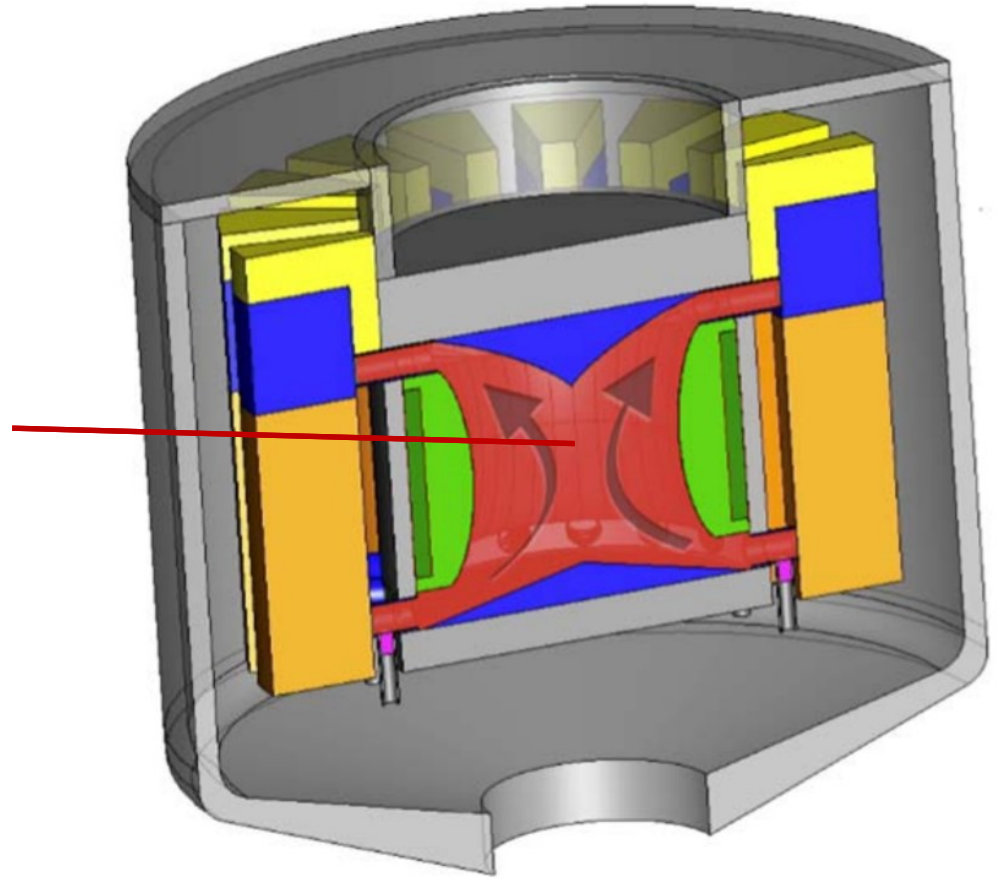
POLITECNICO
MILANO 1863

Numerical modelling of melting and solidification phenomena in MSR

Davide Tartaglia, Stefano Lorenzi, Antonio Cammi
NRG/PoliMi

Molten Salt Fast Reactor

Liquid Fuel

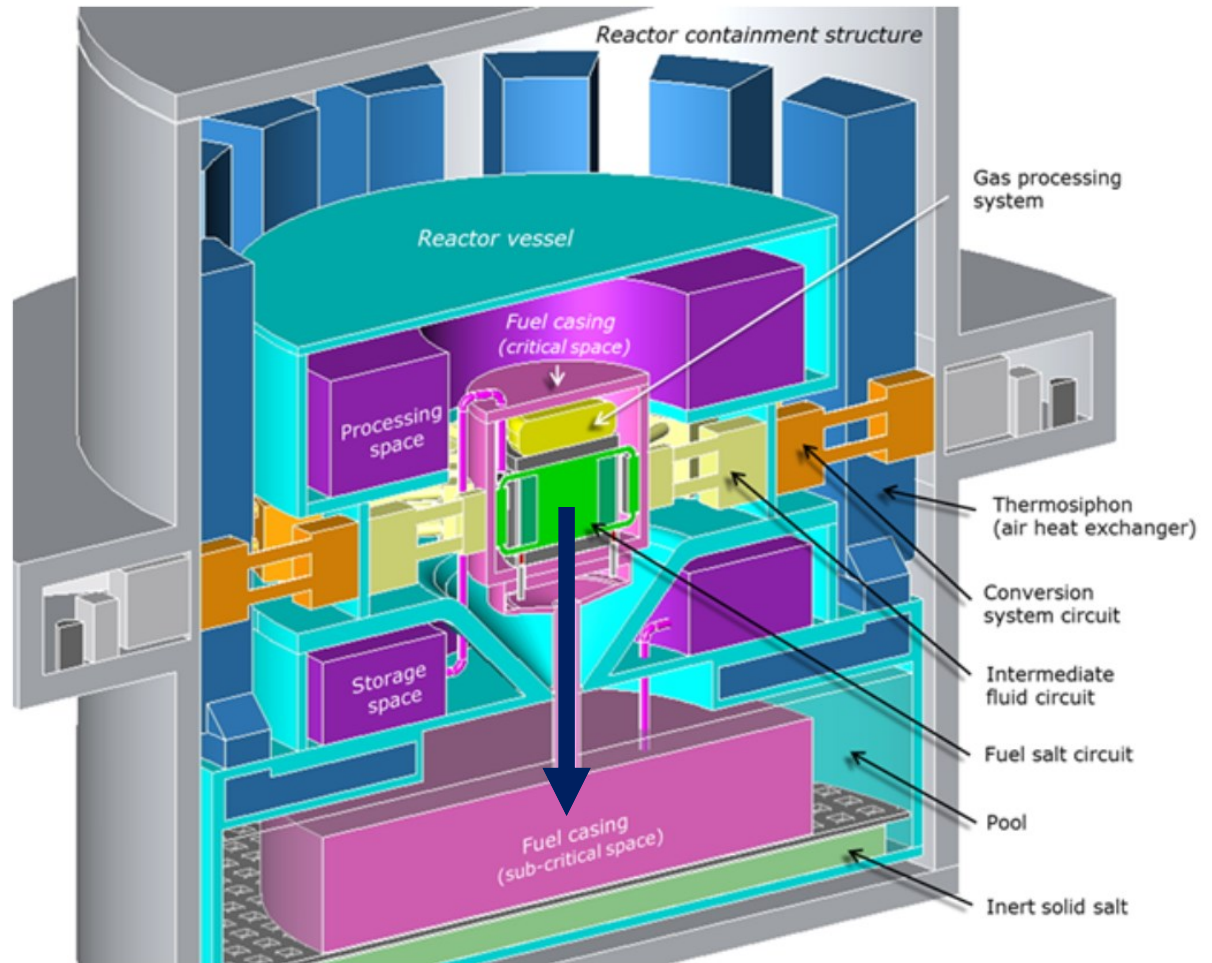


Molten Salt Fast Reactor



**Fuel
Drainage**

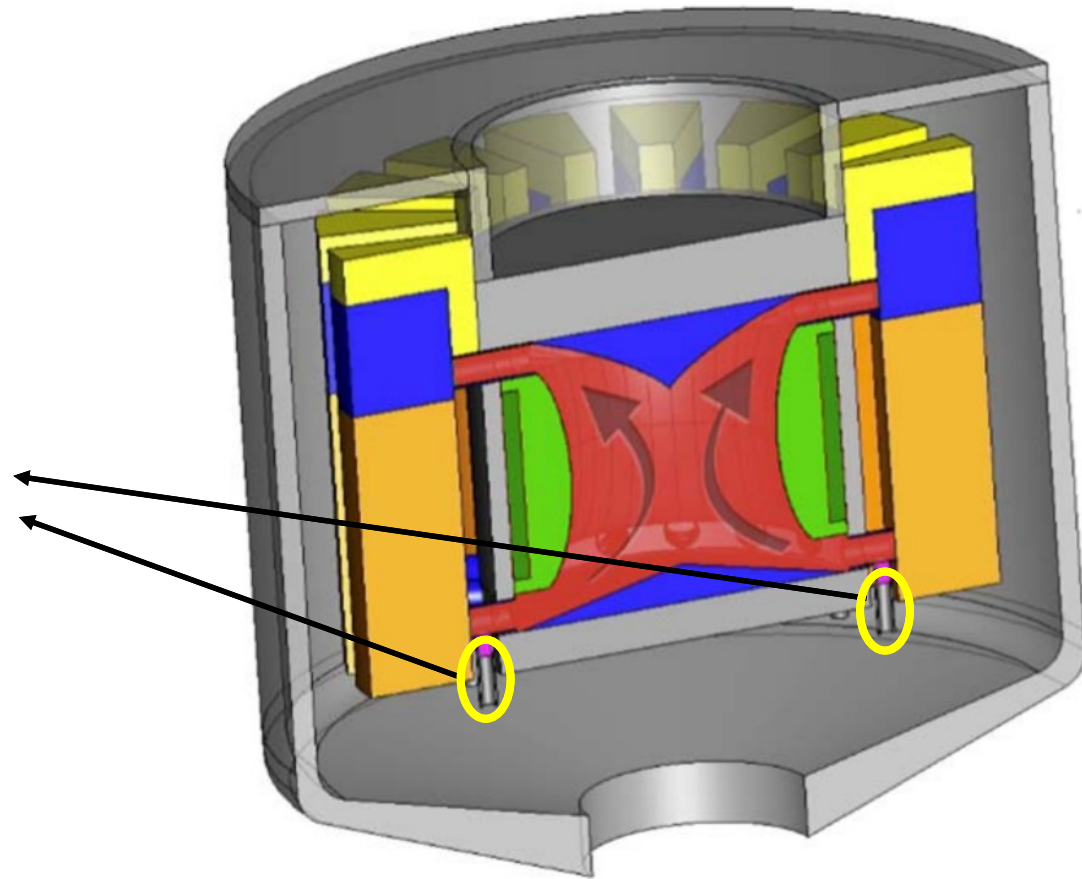
✓ Cooling
✓ Subcriticality



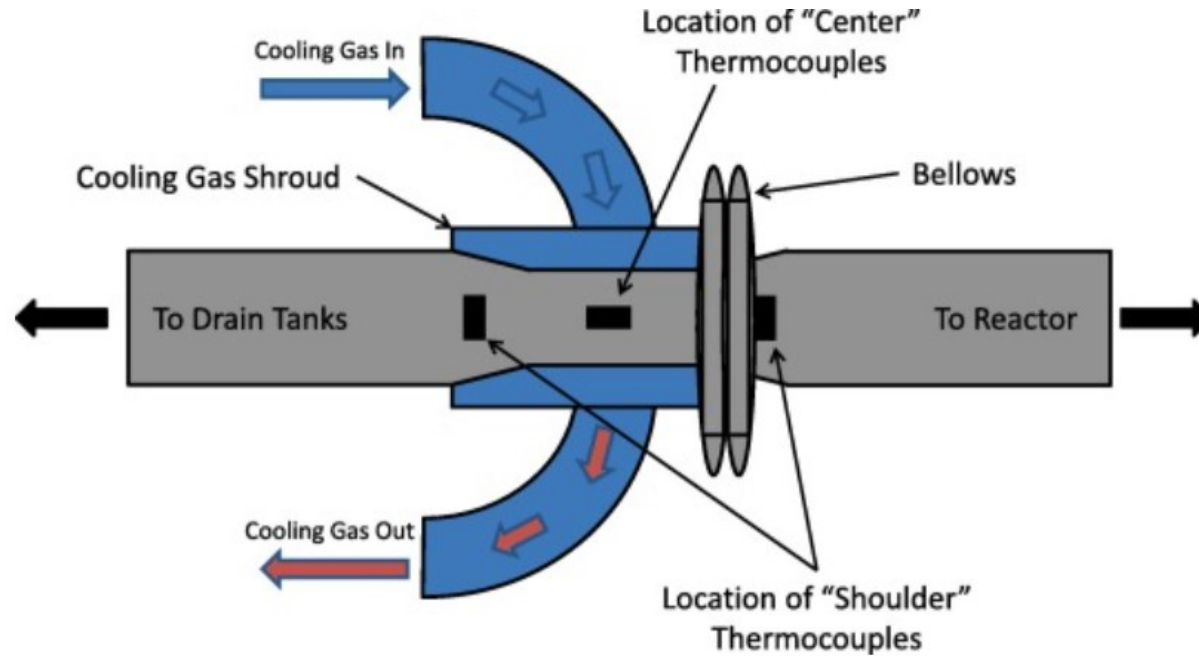
Freeze Valve

Freeze valves

Regulating the opening of the drainage system



Freeze Valve



- Compatibility with fuel salt

- Passivity?

—————→ SAM SAFER

Overview



Objective:

Numerical modelling of melting and solidification phenomena in MSFR



Topics:

Choice of the model
Implementation in OpenFOAM
Verification
Applications & Future Work

The choice of numerical modelling

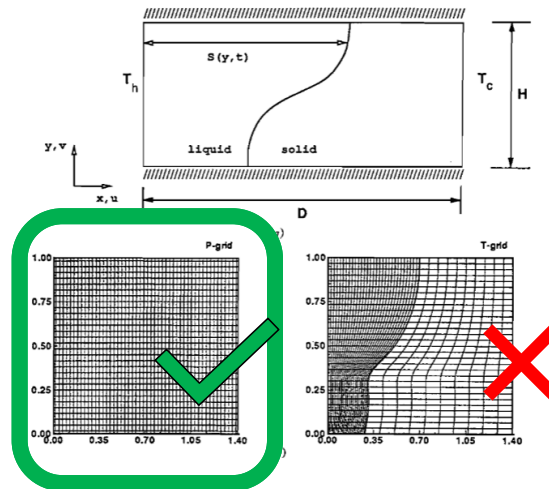
Our approach :

- FVM (OpenFOAM)
- Fixed Grid (No adaptive meshing)
- Continuum Mixture Model (Bennon & Incropera, 1987)

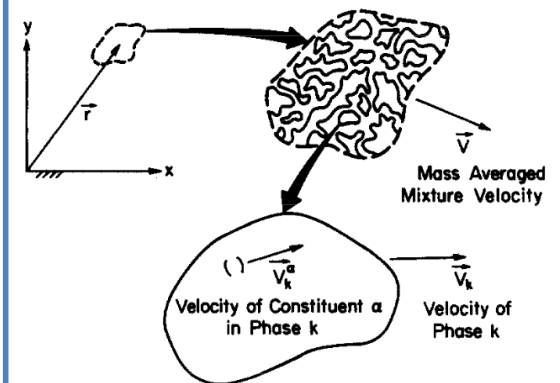
Finite Volume Method

Open  FOAM

Fixed Grid



Continuum Mixture Model



Theoretical framework: Mixture Model (3 eq.s)

Equations:

$$\nabla \cdot (\vec{u}) = 0$$

$$\frac{\partial(\vec{u})}{\partial t} + (\vec{u} \cdot \nabla) \vec{u} = -\nabla(\tilde{p}) + \nabla \cdot (\nu_l \nabla \vec{u}) - A \vec{u}$$

$$\frac{\partial(\rho h)}{\partial t} + \nabla \cdot (\rho h \vec{u}) = \nabla \cdot (k \nabla T)$$

Models:

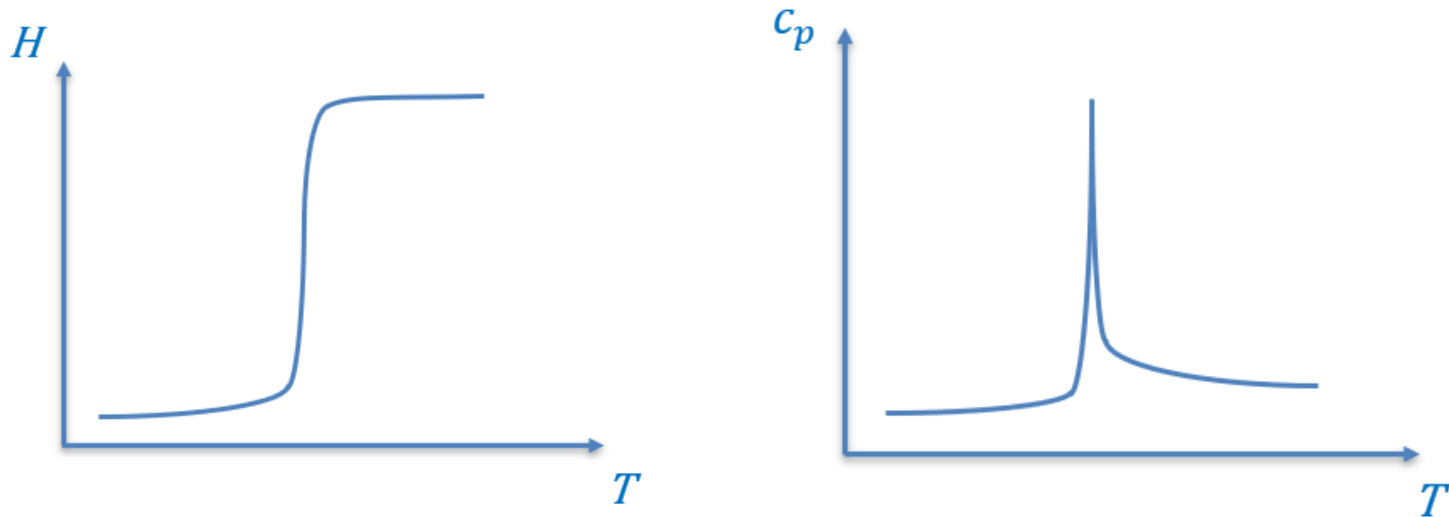
Latent Heat Modelling

+

Velocity Transition Modelling

Latent Heat Modelling

In phase transitions:

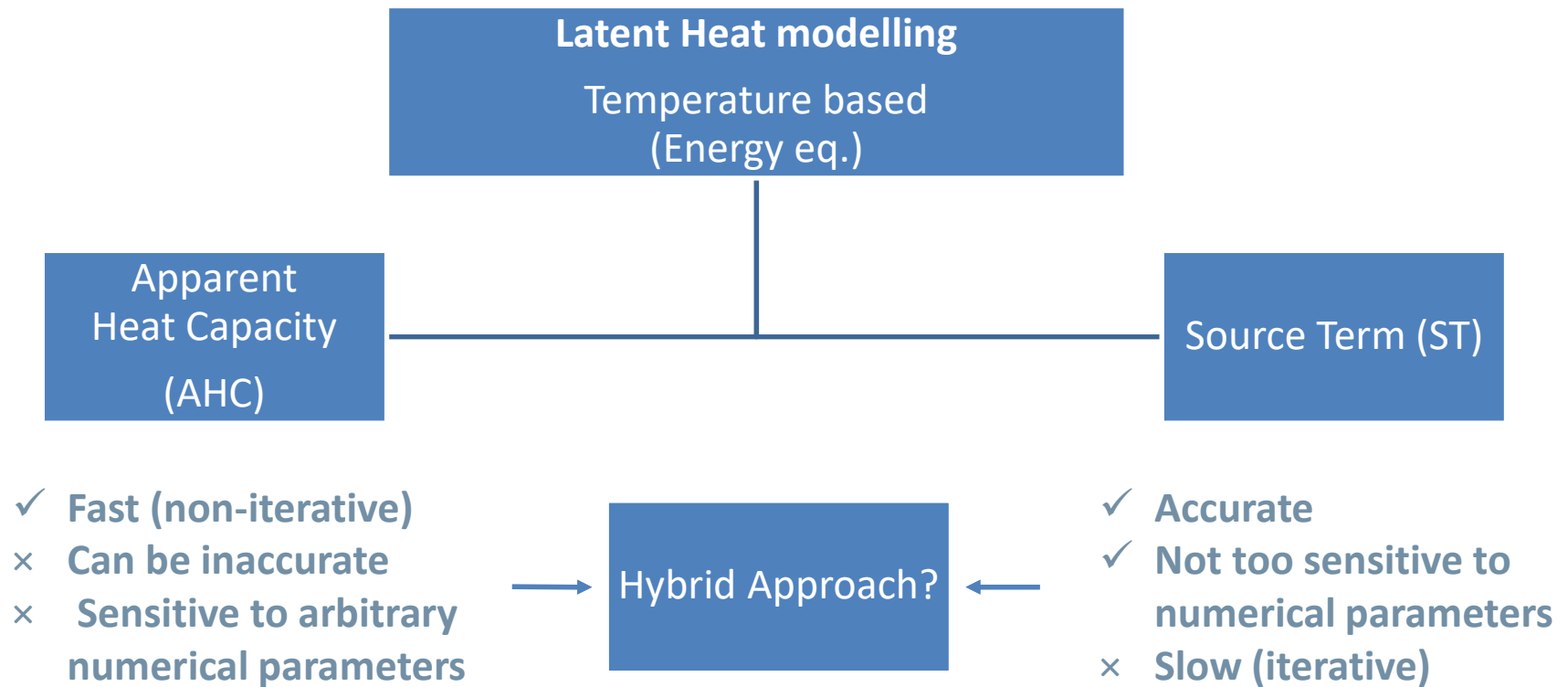


Latent Heat Models take into account the Latent Heat in the NRG equation.

We looked for:

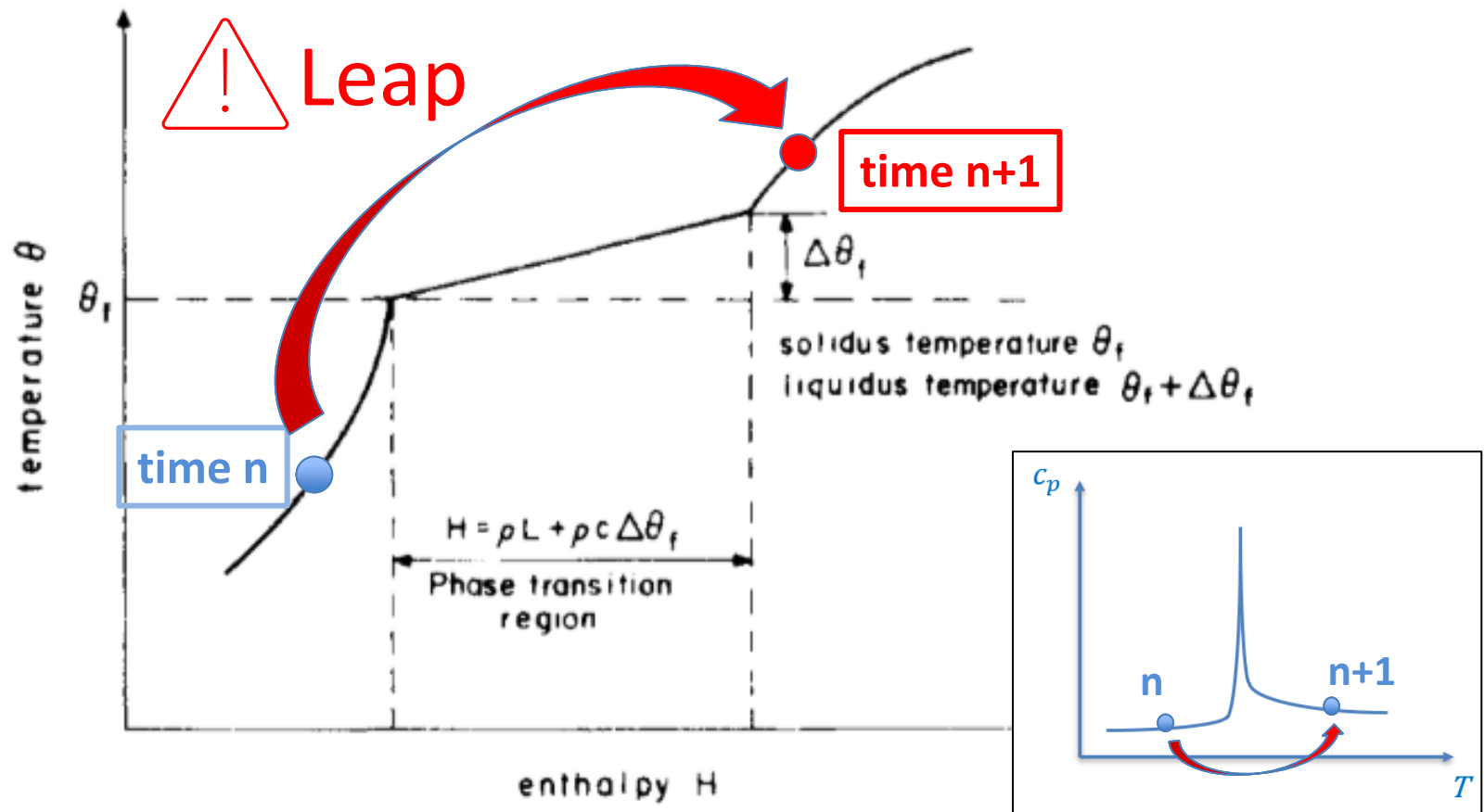
- Temperature-based models (NRG eq solved for the temperature)
- A compromise between accuracy and speed

Latent Heat: a T-based approach



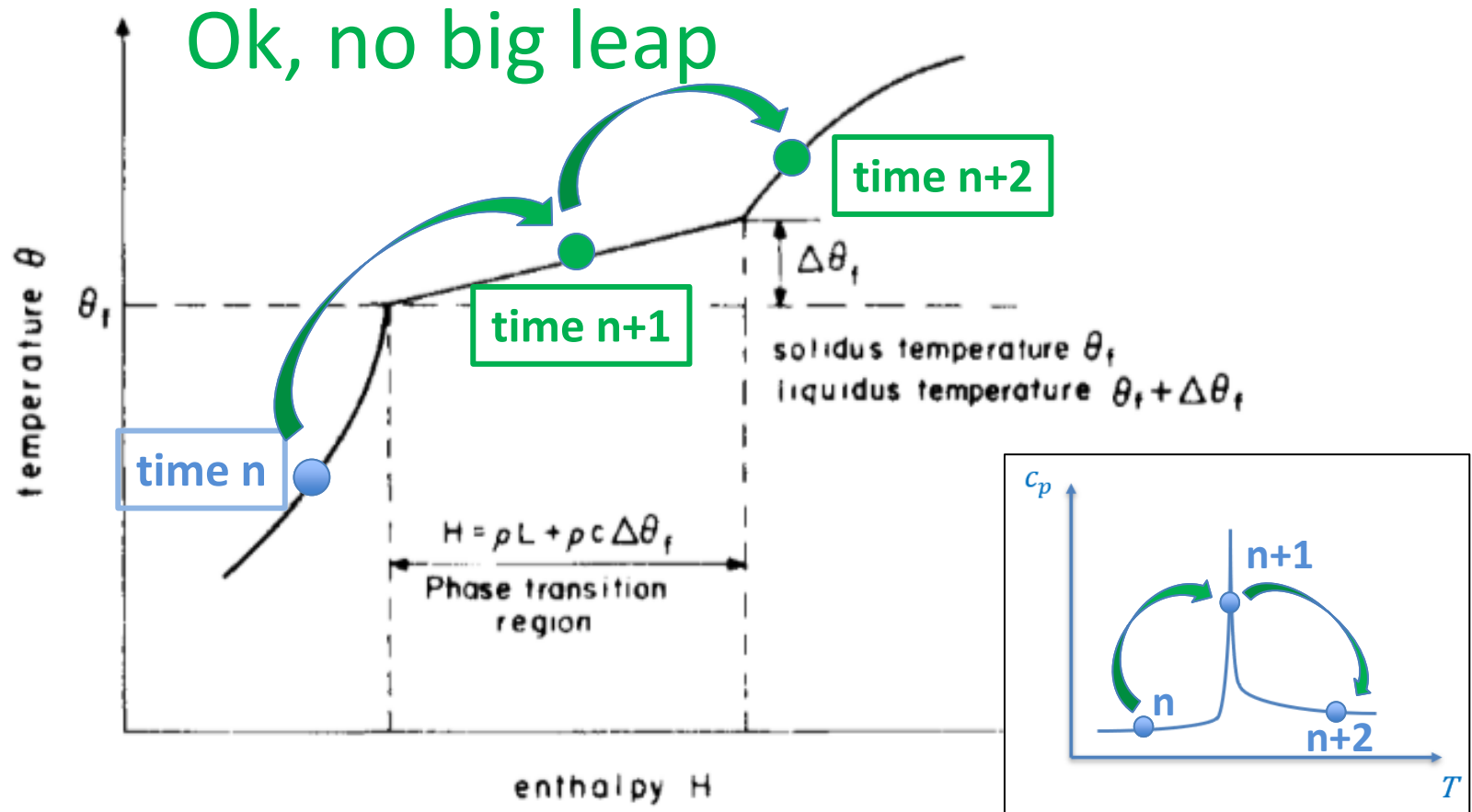
Numerical Modelling

Apparent Heat Capacity: latent heat peak skipping

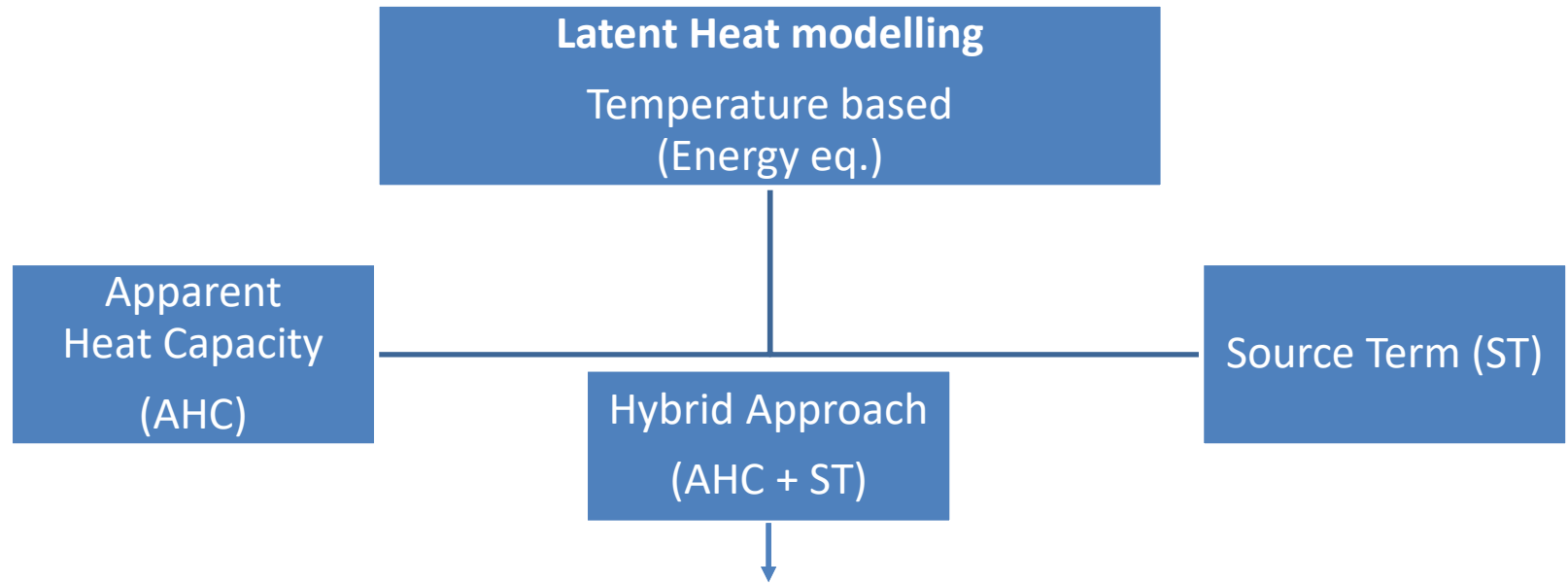


Numerical Modelling

Apparent Heat Capacity: latent heat peak skipping



Numerical Modelling



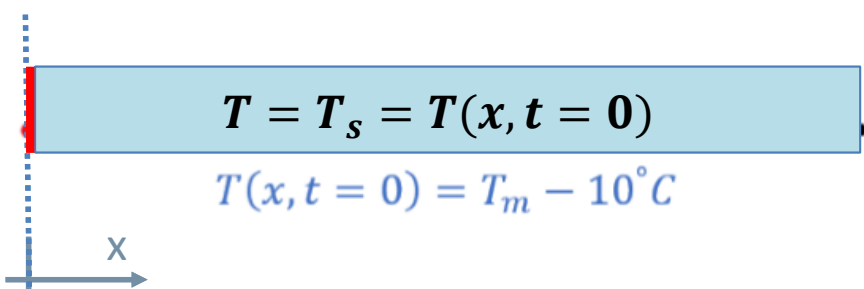
AHC + ST approach:

- Start with AHC scheme
- Check for the leap
- If leap occurs, use iterative ST scheme for this timestep

Verification – Conduction

- 1D case: finite slab, $0 \leq x \leq L$
- Material properties: LiF_4
- Melting problem: initially solid, melts from left to right
- Check against analytical solution of the Stefan Problem

t = 0:

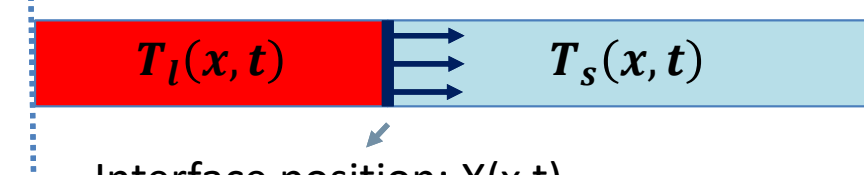
$$T_L = T(x = 0, t) = T_m + 190^\circ C$$


$$T = T_s = T(x, t = 0)$$

$$T(x, t = 0) = T_m - 10^\circ C$$

$$\frac{dT(x = L)}{dx} = 0$$

t > 0:



$$T_L$$

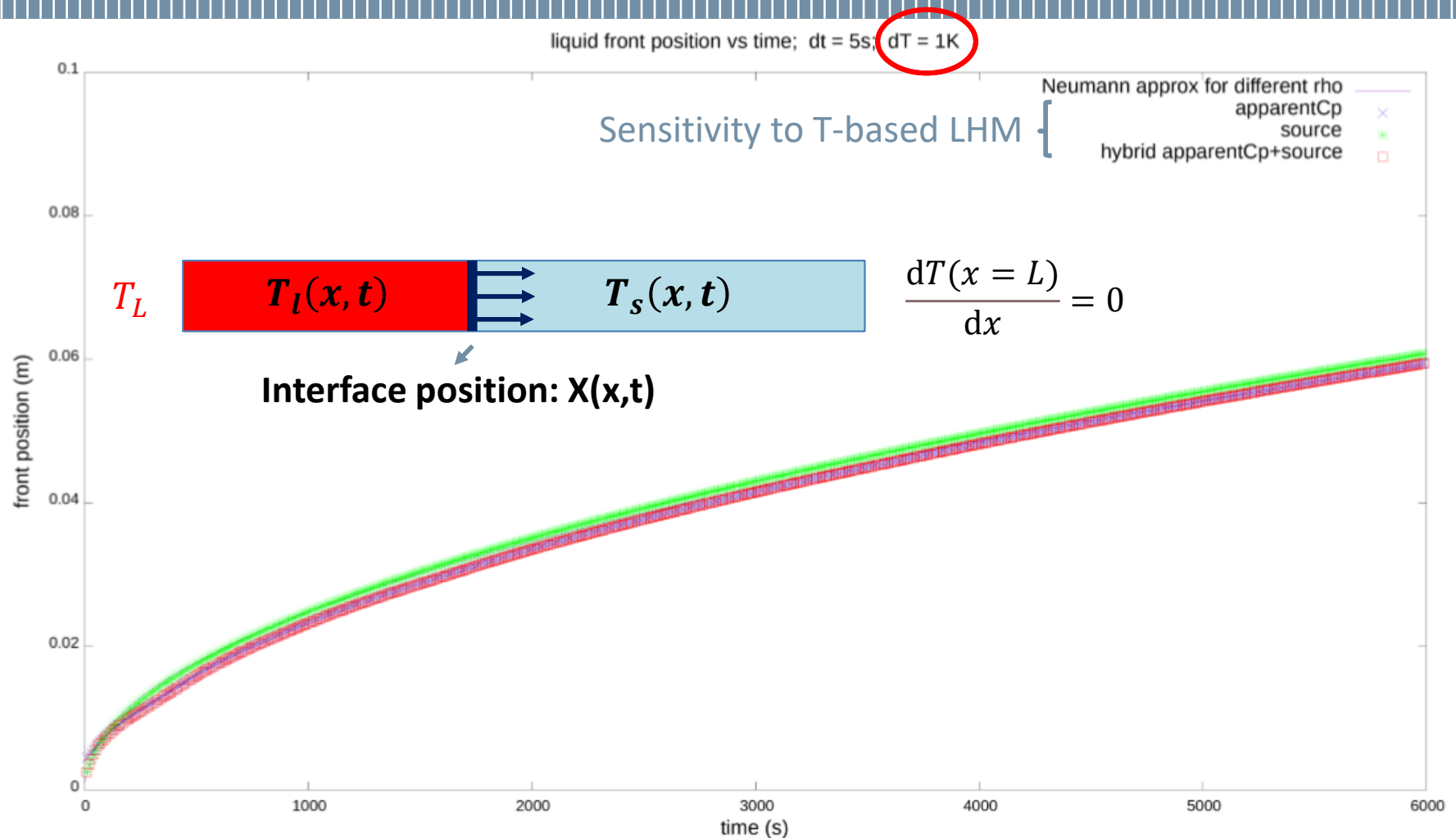
$$T_l(x, t)$$

$$T_s(x, t)$$

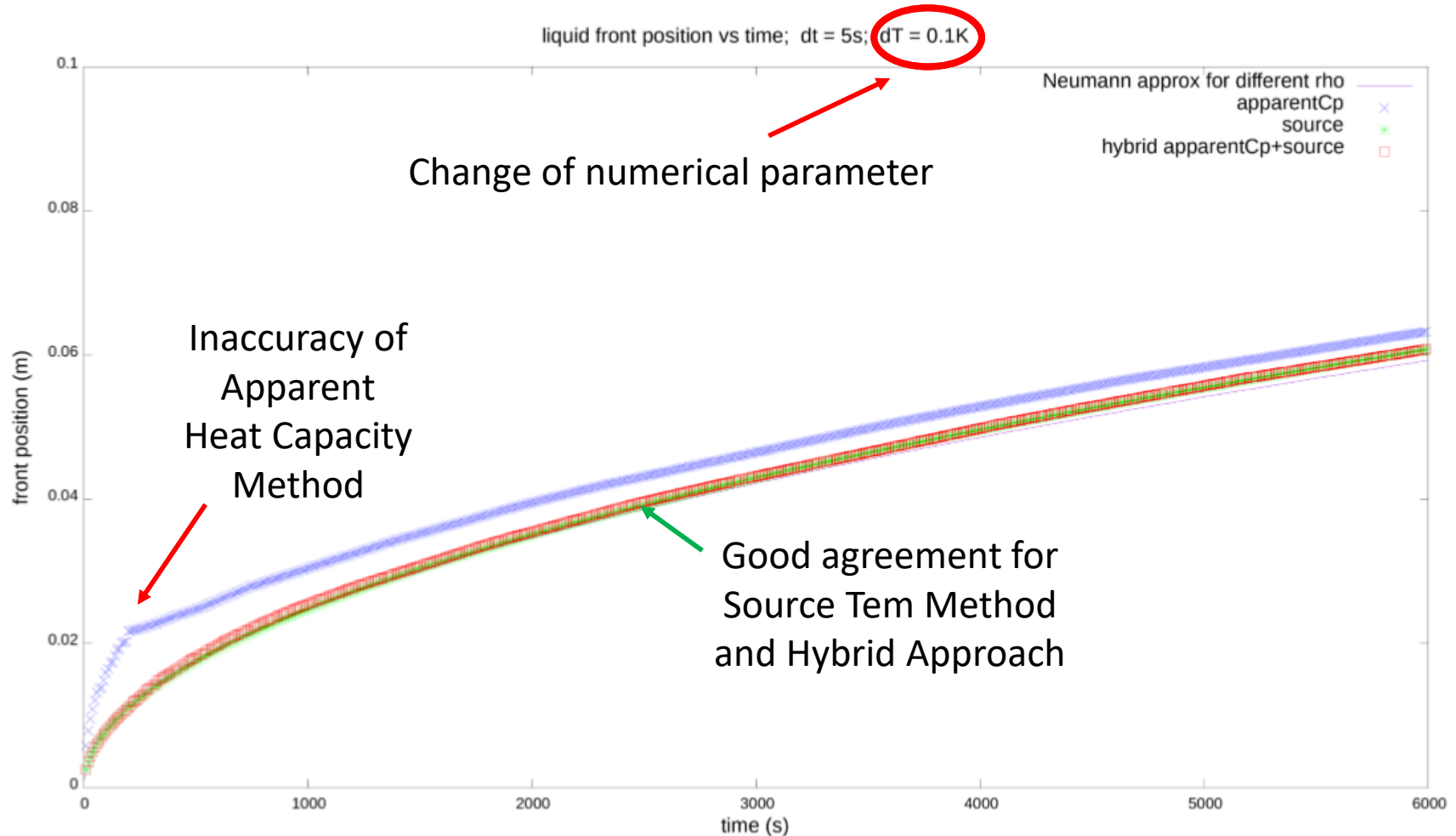
$$\frac{dT(x = L)}{dx} = 0$$

Interface position: $X(x, t)$

Verification - Conduction



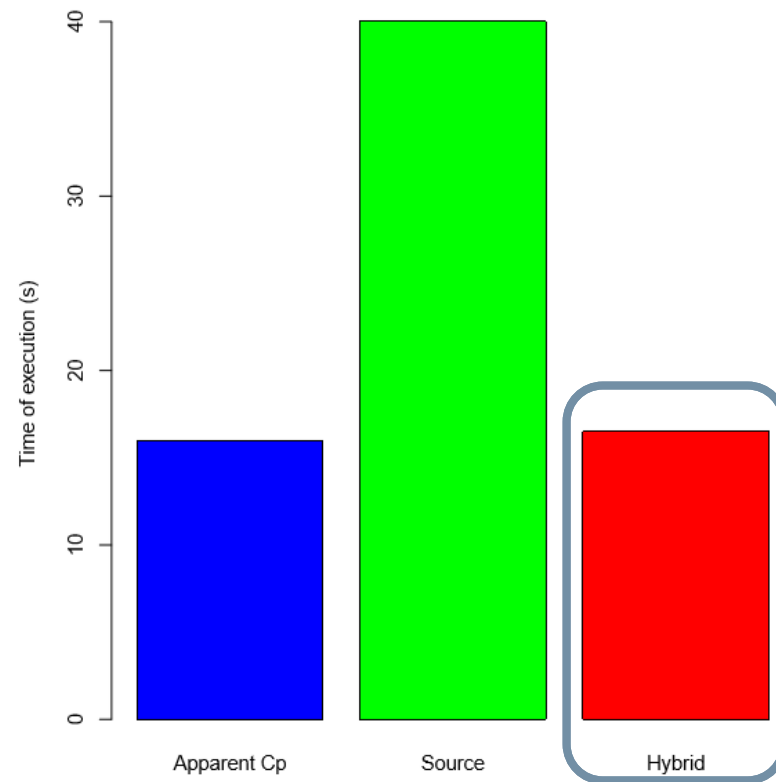
Verification - Conduction



Verification - Conduction

Run time of the case using different Latent Heat Models

Speed of T-based LHM in Case 2 ($\Delta t = 5\text{s}$; $\Delta T = 0.1\text{K}$)



✓ Reduced computational cost of the hybrid approach

✓ Reduced sensitivity to the choice of the numerical parameters

Verification

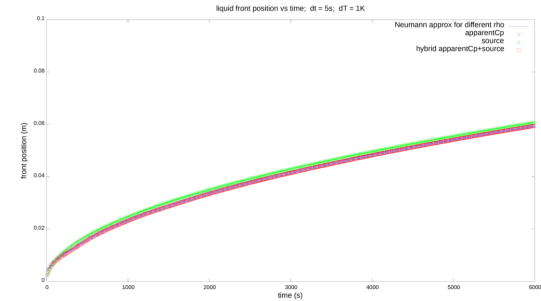
Pure Conduction



Analytical Solution



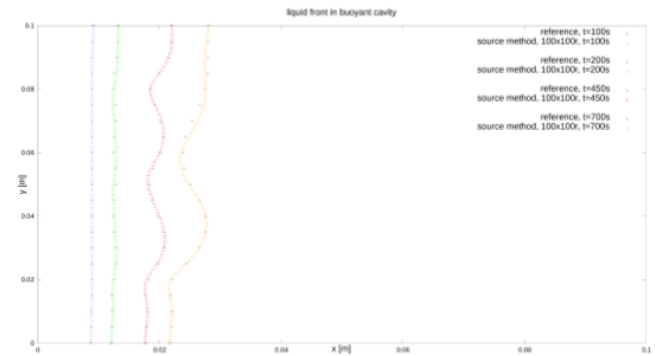
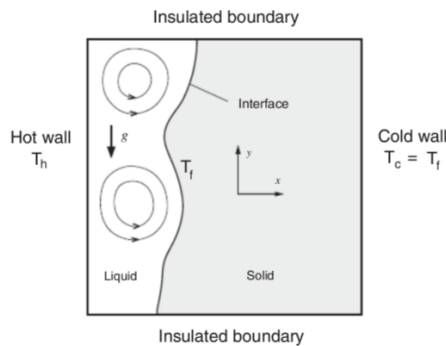
Interface position: $X(x,t)$



Convection

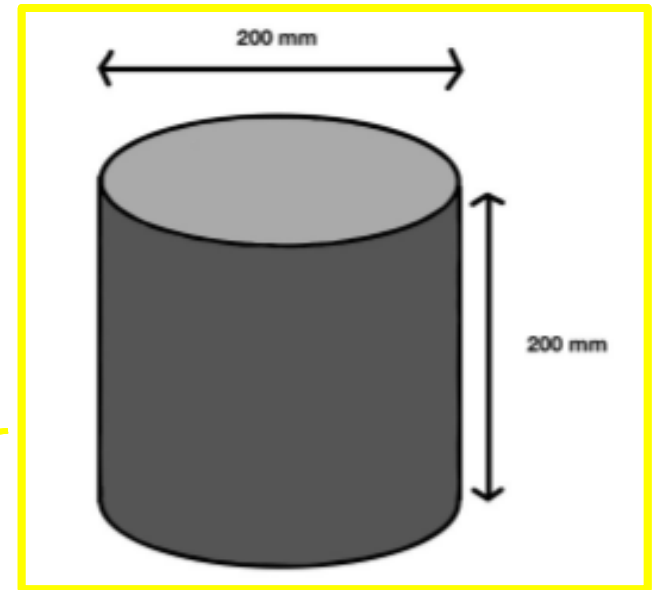
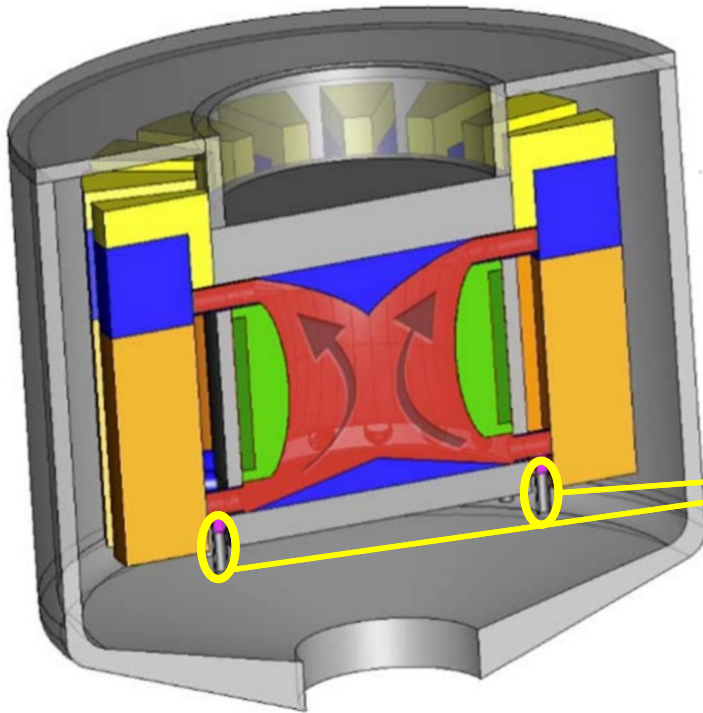


Numerical Benchmark



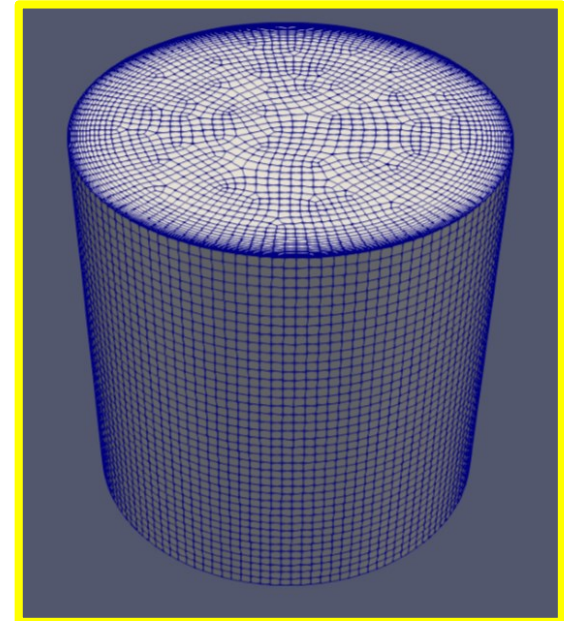
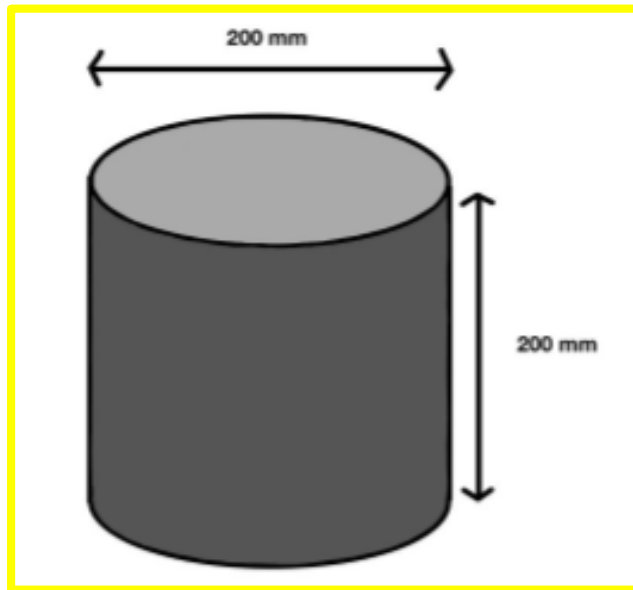
Application to Freeze Valve

What can be simulated?



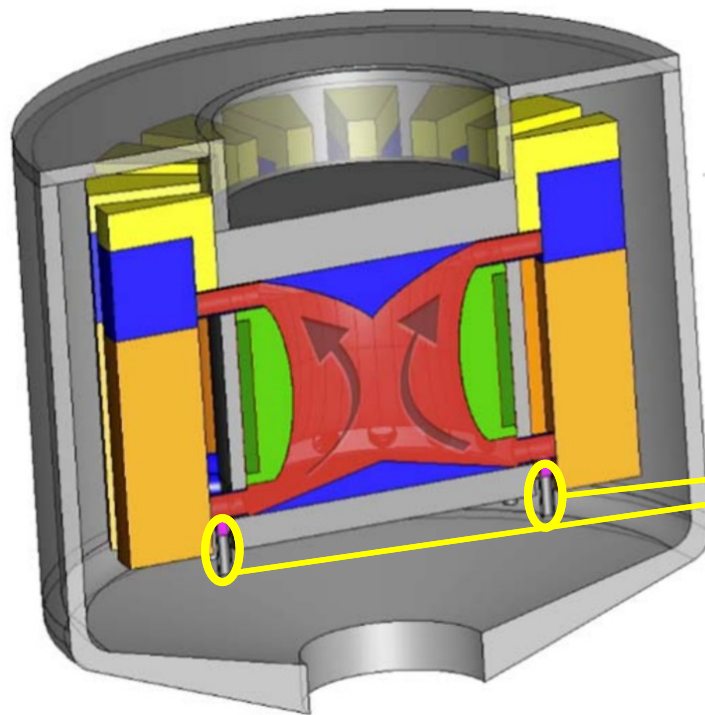
Application to Freeze Valve

What can be simulated?

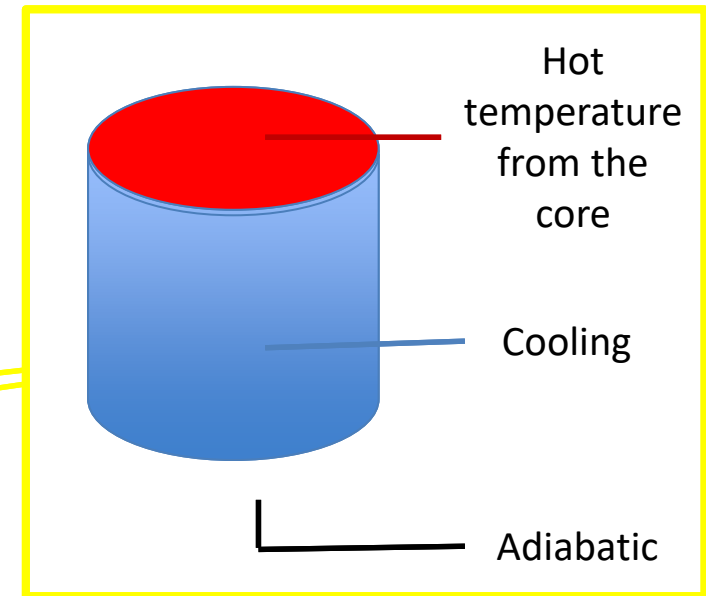


Application to Freeze Valve

What can be simulated?

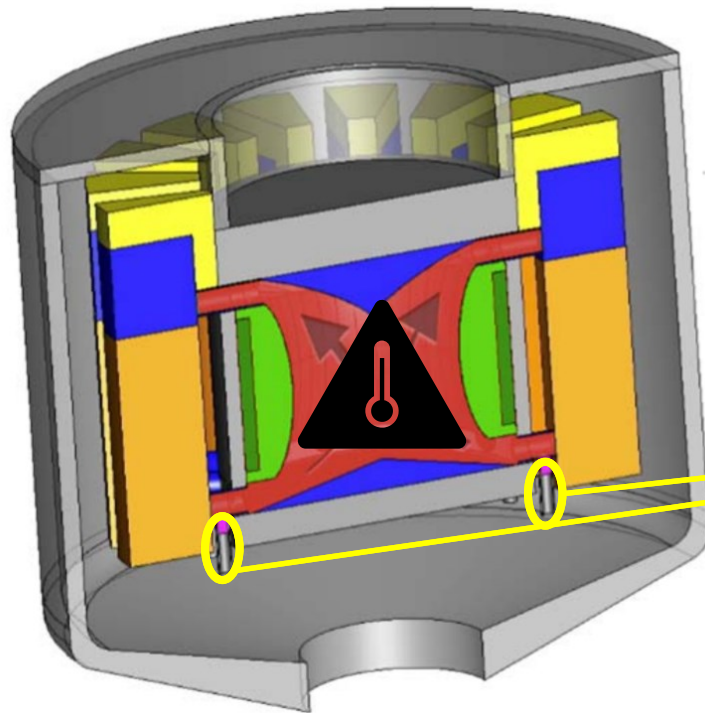


Nominal conditions

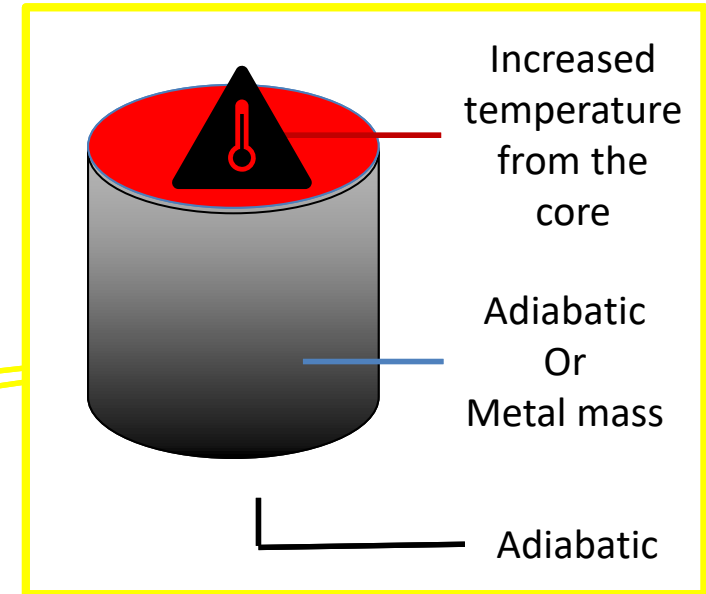


Application to Freeze Valve

What can be simulated?

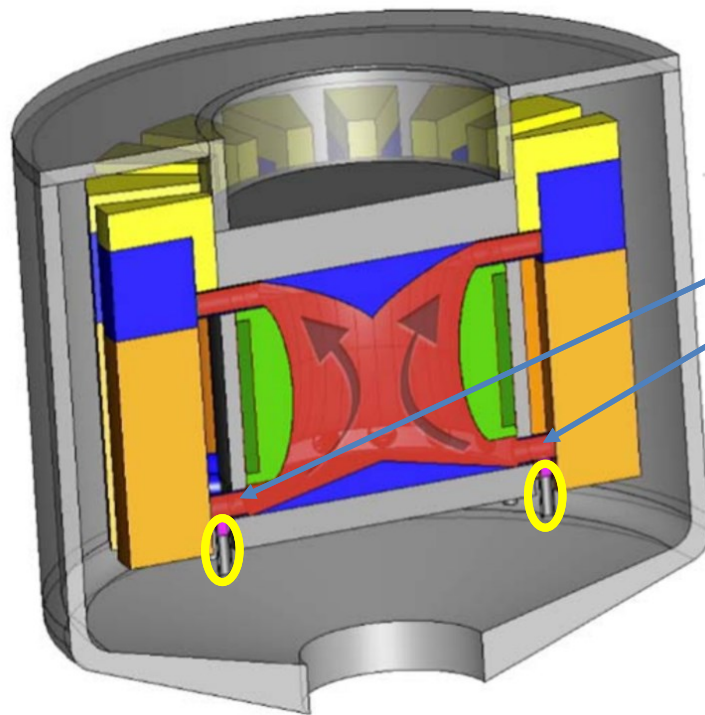


Melting Transient



Application to Freeze Valve

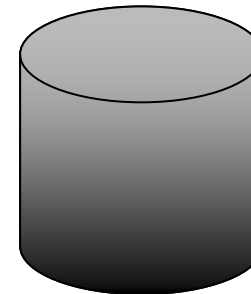
What can be simulated?



Moving Fluid
Above the Valve?

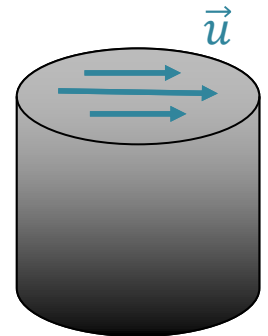
no

Pure Heat
Conduction



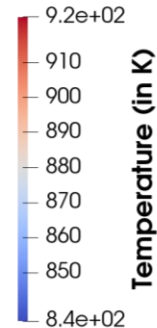
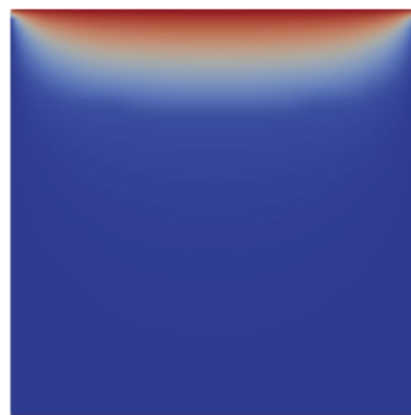
yes

Convection

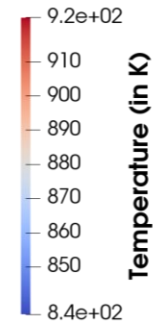


Application to Freeze Valve

Temperature Field (middle section of the valve)

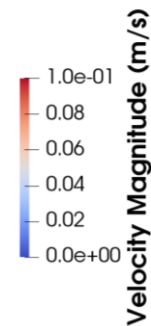


Temperature (in K)

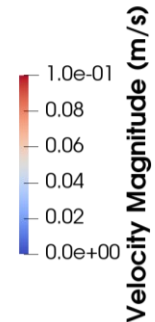


Temperature (in K)

Interface position (middle section of the valve)



Velocity Magnitude (m/s)



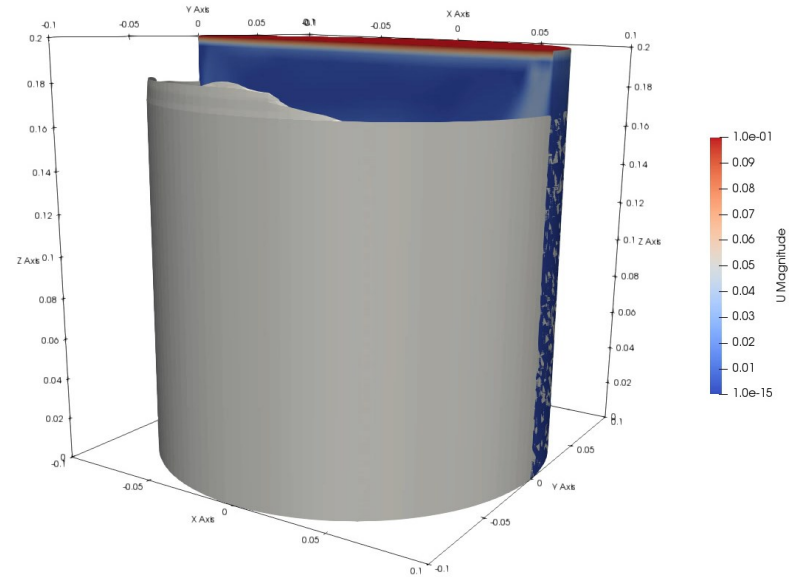
Velocity Magnitude (m/s)

Steady state:
Effects of
convection

Conclusions & Future work

Solver capabilities

- ✓ Efficiently **solve** single-region heat transfer problems with **melting** and solidification
- ✓ Able to handle **complex bc**
- ✓ Able to take into account **thermophysical properties** of salt



Future work

- ✓ **Multi-region** solver for quantitative analysis
- ✓ Merging with existing **multi-physics** solver
- ✓ Perform **validation**
- ✓ **Propose** a new **detailed design** based on quantitative analysis